

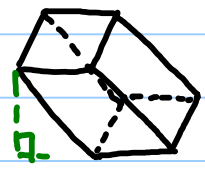
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12.2] Surface Areas of Prisms & Cylinders

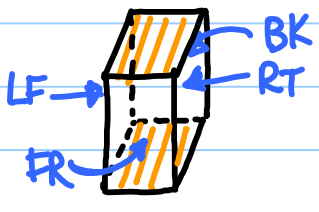
Right Prism - lateral edge is the altitude.
"height"



Oblique Prism - lateral edge is not the altitude.

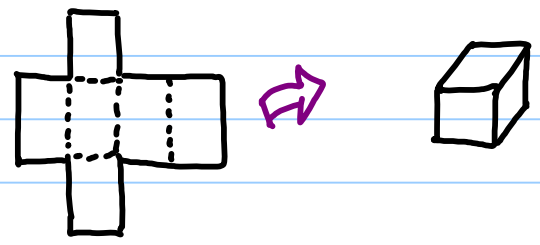


* Lateral Area - Sum of the lateral faces
(not the bases)



Surface Area - Sum of ALL of the surfaces

Net - 2D figure that folds to form a solid

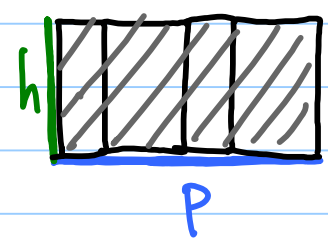


Thm 12.1

Lateral Area of a Prism

$$L = P \cdot h$$

height (dist between bases)
perimeter (of the base)



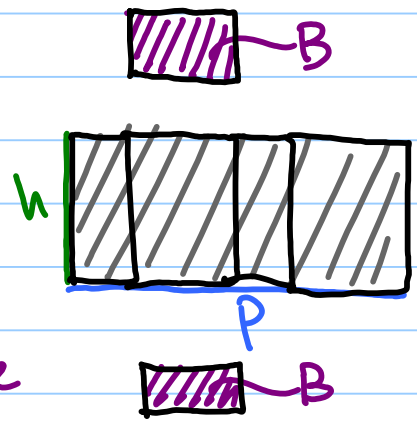
L (or LA)
"rectangle"

Thm 12.2

Surface Area of a Prism

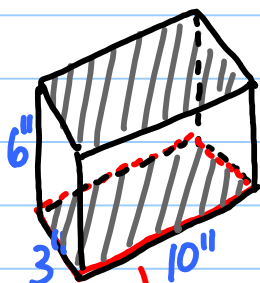
$$S = Ph + 2B$$

height
perimeter
2x
area of the base



S (or SA)

ex1) Find the lateral & surface area of a rectangular prism.



$$L = Ph$$

$$= (3 + 10 + 3 + 10) \cdot 6$$

$$= 26 \cdot 6$$

$$= 156 \text{ inches}^2$$

$$S = Ph + 2B$$

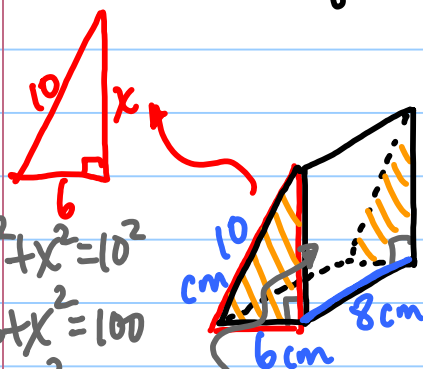
$$= 156 + 2(b \cdot h)$$

$$156 + 2(10 \cdot 3)$$

$$= 156 + 60 = 216 \text{ in}^2$$

rectangle:
 $A = bh$
 height of rect.

ex2) Find the lateral & surface area of the triangular prism.



$$6^2 + x^2 = 10^2$$

$$36 + x^2 = 100$$

$$x^2 = 64$$

$$x = 8$$

pythag thm

$$L = Ph$$

$$(10 + 6 + 8) \cdot 8$$

$$= 24 \cdot 8$$

$$= 192 \text{ cm}^2$$

$$S = Ph + 2B$$

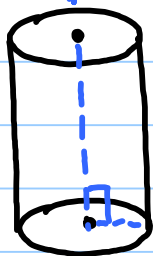
$$192 + 2\left(\frac{1}{2} \cdot 6 \cdot 8\right)$$

$$= 192 + 48 = 240 \text{ cm}^2$$

right Δ
 $A = \frac{1}{2}bh$
 height of Δ

Right Cylinder

- axis (segment connects centers of the circular bases)
 → altitude



Oblique Cylinder -



Thm 12.3 - Lateral Area of a Cylinder

$$L = 2\pi r h$$

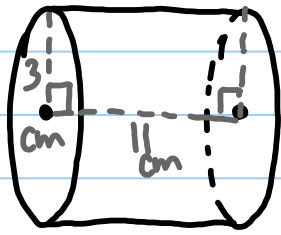
$\underbrace{\hspace{2em}}_c$

Thm 12.4 - Surface Area of a Cylinder

$$S = 2\pi r h + 2\pi r^2$$

$\underbrace{\hspace{2em}}_c$ $\underbrace{\hspace{2em}}_{\text{area of } \odot}$

ex 3)



Find lateral & surface area
of the right cylinder

$$\begin{aligned}L &= 2\pi r \cdot h \\ &= 2\pi(3)(11) \\ &\approx 207.3 \text{ cm}^2\end{aligned}$$

$$\begin{aligned}S &= 2\pi r h + 2\pi r^2 \\ &= 2\pi(3)(11) + 2\pi(3)^2 \\ &\approx 263.9 \text{ cm}^2\end{aligned}$$