

Practice

Writing Linear Equations

Write an equation in slope-intercept form for each line described.

1. slope = -4 , y-intercept = 3

2. slope = 5 , passes through $A(-3, 2)$

3. slope = -4 , passes through $B(3, 8)$

4. slope = $\frac{4}{3}$, passes through $C(-9, 4)$

5. slope = 1 , passes through $D(-6, 6)$

6. slope = -1 , passes through $E(3, -3)$

7. slope = 3 , y-intercept = $\frac{3}{4}$

8. slope = -2 , y-intercept = -7

9. slope = -1 , passes through $F(-1, 7)$

10. slope = 0 , passes through $G(3, 2)$

11. **Aviation** The number of active certified commercial pilots has been declining since 1980, as shown in the table.

- a. Find a linear equation that can be used as a model to predict the number of active certified commercial pilots for any year. Assume a steady rate of decline.

Number of Active Certified Pilots	
Year	Total
1980	182,097
1985	155,929
1990	149,666
1993	143,014
1994	138,728
1995	133,980
1996	129,187

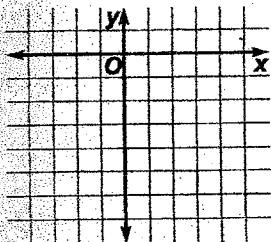
Source: U. S. Dept. of Transportation

- b. Use the model to predict the number of pilots in the year 2003.

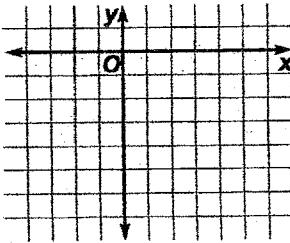
Practice**Graphing Linear Equations**

Graph each equation using the x- and y-intercepts.

1. $2x - y - 6 = 0$

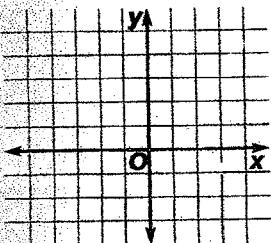


2. $4x + 2y + 8 = 0$

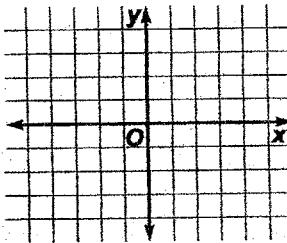


Graph each equation using the y-intercept and the slope.

3. $y = 5x - \frac{1}{2}$

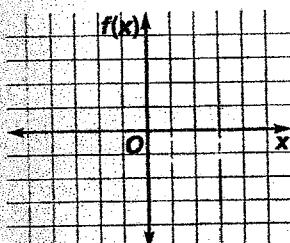


4. $y = \frac{1}{2}x$

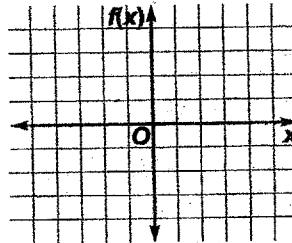


Find the zero of each function. Then graph the function.

5. $f(x) = 4x - 3$



6. $f(x) = 2x + 4$



7. **Business** In 1990, a two-bedroom apartment at Remington Square Apartments rented for \$575 per month. In 1999, the same two-bedroom apartment rented for \$850 per month. Assuming a constant rate of increase, what will a tenant pay for a two-bedroom apartment at Remington Square in the year 2000?

Practice

Composition of Functions

Given $f(x) = 2x^2 + 8$ and $g(x) = 5x - 6$, find each function.

1. $(f + g)(x)$

2. $(f - g)(x)$

3. $(f \cdot g)(x)$

4. $\left(\frac{f}{g}\right)(x)$

Find $[f \circ g](x)$ and $[g \circ f](x)$ for each $f(x)$ and $g(x)$.

5. $f(x) = x + 5$
 $g(x) = x - 3$

6. $f(x) = 2x^3 - 3x^2 + 1$
 $g(x) = 3x$

7. $f(x) = 2x^2 - 5x + 1$
 $g(x) = 2x - 3$

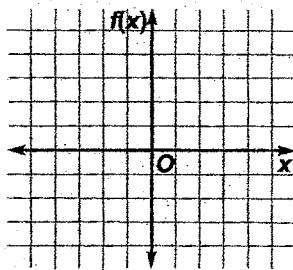
8. $f(x) = 3x^2 - 2x + 5$
 $g(x) = 2x - 1$

9. State the domain of $[f \circ g](x)$ for $f(x) = \sqrt{x - 2}$ and $g(x) = 3x$.

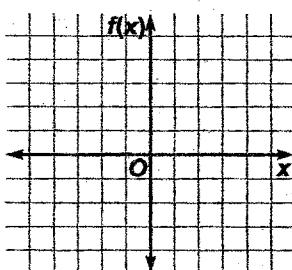
Piecewise Functions

Graph each function.

1.
$$f(x) = \begin{cases} 1 & \text{if } x \geq 2 \\ x & \text{if } -1 \leq x < 2 \\ -x - 3 & \text{if } x < -2 \end{cases}$$



2.
$$f(x) = \begin{cases} -2 & \text{if } x \leq -1 \\ 1 + x & \text{if } -1 < x < 2 \\ 1 - x & \text{if } x > 2 \end{cases}$$



1-1

Practice

Relations and Functions

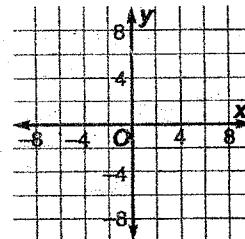
State the domain and range of each relation. Then state whether the relation is a function. Write yes or no.

1. $\{(-1, 2), (3, 10), (-2, 20), (3, 11)\}$
2. $\{(0, 2), (13, 6), (2, 2), (3, 1)\}$
3. $\{(1, 4), (2, 8), (3, 24)\}$
4. $\{(-1, -2), (3, 54), (-2, -16), (3, 81)\}$

5. The domain of a relation is all even negative integers greater than -9 .

The range y of the relation is the set formed by adding 4 to the numbers in the domain. Write the relation as a table of values and as an equation.

Then graph the relation.



Evaluate each function for the given value.

6. $f(-2)$ if $f(x) = 4x^3 + 6x^2 + 3x$

7. $f(3)$ if $f(x) = 5x^2 - 4x - 6$

8. $h(t)$ if $h(x) = 9x^9 - 4x^4 + 3x - 2$

9. $f(g + 1)$ if $f(x) = x^2 - 2x + 1$

10. **Climate**. The table shows record high and low temperatures for selected states.

- a. State the relation of the data as a set of ordered pairs.

- b. State the domain and range of the relation.

- c. Determine whether the relation is a function.

Record High and Low Temperatures (°F)		
State	High	Low
Alabama	112	-27
Delaware	110	-17
Idaho	118	-60
Michigan	112	-51
New Mexico	122	-50
Wisconsin	114	-54

Source: National Climatic Data Center